Springer: Brooks' Theorem, Errata

- p 70 (Theorem 2.20): Then then graph ... (should be) Then the graph ...

- p 112,l -7/-5:

  Farrugia [364] proved that for any additive hereditary graph properties $\mathcal{P}$ and $\mathcal{P}'$, recognizing graphs in $\mathcal{P} \circ \mathcal{P}'$ is NP-hard with the only exception of bipartite graphs, that is, the case where $\mathcal{P} = \mathcal{P}' = \mathrm{Forb}[K_2]$.

  Here we should also assume that $\mathcal{P}$ and $\mathcal{P}'$ are both nontrivial.

- p 225, l 3 (p 531, 532, 604, 615): Köster (should be) Koester

- p 344, l 5: Naserass (should be) Naserasr

- p 383, l -18: Then Then $H = K_1 \boxplus H'$ (should be) Then $H = K_1 \boxplus H'$

- p 476, l -13´: $GY(4)$ isomorphic (should be) $GY(4)$ is isomorphic

- p 535, l 4: Zu (should be) Zhu

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