# Spanning trees of smallest maximum degree in subdivisions of graphs 

Jochen Harant (Technische Universität Ilmenau)

Given a positive integer $k$ and a connected graph $G$, a $k$-tree of $G$ is a spanning tree of $G$ with maximum degree at most $k$. It is well-known that, for $k \geq 2$, the problem of deciding whether a graph has a $k$-tree is $\mathcal{N} \mathcal{P}_{-}$ complete. Consequently, for a graph $G$, it is hard to determine the smallest integer $k$, denoted by $f(G)$, such that $G$ contains a $k$-tree. However, it is proved here that an $f\left(G^{*}\right)$-tree of $G^{*}$ can be found in polynomial time, where $G^{*}$ is obtained from $G$ by subdividing each edge of $G$ exactly once. We consider classes $\Gamma$ of graphs embeddable into fixed closed surfaces and present results on $\max \left\{f\left(G^{*}\right) \mid G \in \Gamma\right\}$ if it exists.

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